

On the choice of doses for phase III clinical trials

Vera Lisovskaja, Ph.Lic.
Chalmers / Göteborg University

Carl-Fredrik Burman, PhD, Assoc Prof
Senior Principal Scientist
AstraZeneca R&D Mölndal

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Challenges to development of new medicines

- Huge medical needs
- but # of new pharmaceuticals is decreasing
- Average development cost of the order 1 BUSD per new pharmaceutical
- Failure rate in clinical development may be 90%
- High requirements on ethics of clinical trials

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Lots of suggested remedies

- Omics
- Biomarkers
- Adaptive Designs
- Model-Based Drug Development
- ...

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Key decisions in clinical development

- Programme and study design
- Dose
 - Dose-finding trials (phase II) are often too small to determine precisely the best dose
 - Has been suggested (e.g. by regulators) that two, rather than one, dose should be tested in confirmatory trials (phase III)

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Dose(s) in phase III ?

- Based on prior information, maximize $P(\text{prove at least one dose to be efficacious and "safe"})$
- Research questions
 - Find best dose for ph III
 - Find best pair of doses
 - Is one or two doses optimal?
 - Robustness

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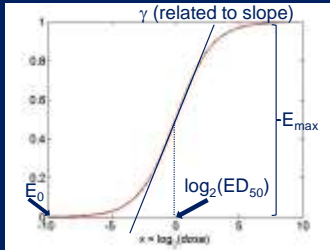
Efficacy

- E_{\max} model
- Parameters assumed known (may be relaxed)
- Stochastic data → Power function

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E_{max} model for efficacy, with known parameters:

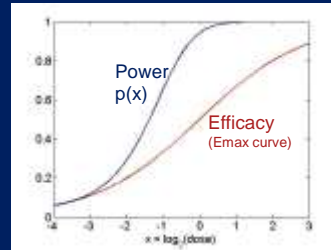
$$\text{mean effect} = E_0 + E_{max} \cdot \frac{d^\gamma}{E_{50}^\gamma + d^\gamma}$$



WLOG: $E_0 = 0$; $E_{max} = 1$; $\log_2 ED_{50} = 0$; $\gamma = 1$

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Assume i.i.d. normal residuals.
Mean effect translates into (2-sample) power, given total information = 100.



Total information =
= sample size divided by residual variance

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Safety

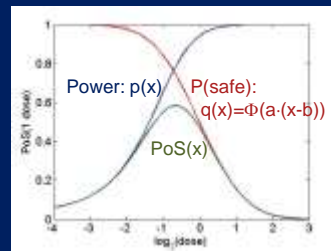
- True "Maximum Tolerated Dose" (MTD)
- Will observe whether doses in trial are <MTD
 - Dose d is "safe" iff $d < \text{MTD}$
 - Log dose follows probit model: $P(\text{safe}) = q(x) = \Phi(a \cdot (b-x))$
- (Bayesian prior + non-stochastic outcome)
- NB! Monotonicity: A lower dose cannot be "unsafe" if a higher dose is "safe"

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Probability of Success,

$$\text{PoS}(x) = p(x) \cdot q(x)$$

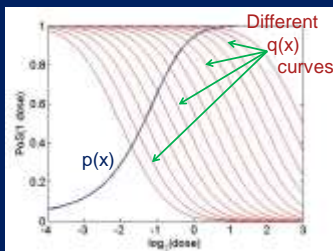
when one single active dose is compared vs. placebo



In this graph, $a=1$ (shape) and $b=0$ (location).

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Family of safety curves



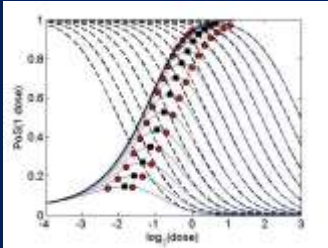
$a=1$ (shape parameter) and $b \in [-2, 3]$ (location parameter)

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- Case 1: One active dose, d, vs placebo
 - Equal split of total sample size
- Case 2: Two active doses, d_1 and d_2 , vs placebo
 - Bonferroni correction
 - Sample size $\sqrt{2}$ larger in placebo arm
 - (May be relaxed)
- Optimal doses marked by *
 - One dose d^*
 - Two doses d_1^*, d_2^*

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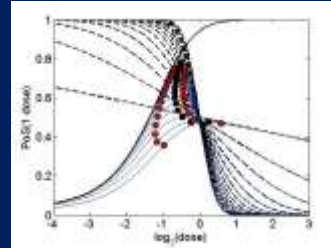
Power $p(x)$
 Family of safety curves $q(x)$
 Resulting PoS(x), with optimal dose(s) d_1^* , d^* , d_2^*



- Optimal single (log) dose when $p'(x)/p(x) = -q'(x)/q(x)$
- $d_2^*/d_1^* < 2$ (Straightforward scaling for other γ s.)

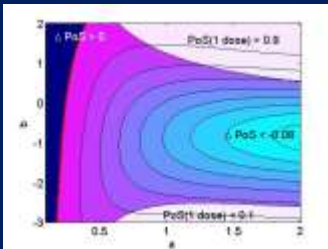
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Varying shape parameter (with fixed location)



$a \in [0.1, 3]$ (shape parameter) and $b=0$ (location parameter)

$\Delta \text{PoS} = \text{PoS}(2 \text{ doses}) - \text{PoS}(1 \text{ dose})$.



One active dose is better than two, but ...

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A number of factors may make two doses relatively more attractive

- Uncertainty in efficacy, e.g. prior on ED_{50}
- Optimal multiplicity procedure
- Optimal sample size split

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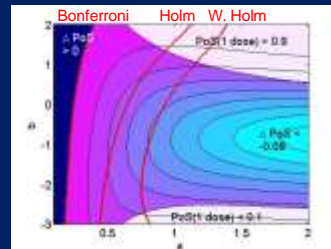
Difference in PoS, 2 vs 1 dose

	Weight	Recycling	Correlation	Scenario 1	Scenario 2
Bonferroni	No	No	No	-0.053	-0.024
Weighted Bonferroni	Yes	No	No	-0.052	-0.022
Holm	No	Yes	No	-0.026	+0.000
Weighted Holm	Yes	Yes	No	-0.012	+0.011
Dunnnett	No	No	Yes	-0.045	-0.019
WD	Yes	No	Yes	-0.044	-0.018
RD	No	Yes	Yes	-0.022	+0.002
WRD	Yes	Yes	Yes	-0.011	+0.011

Smarter multiplicity corrections make 2 doses more interesting

Scenario 1 corresponds to power=0.8, PoS=0.6 (1 dose, Bonferroni)
 Scenario 2 corresponds to power=0.9, PoS=0.7 (1 dose, Bonferroni)

Red curves are boundaries for 2 doses vs 1 dose (2 doses better to the left), for Bonferroni, Holm and weighted Holm, respectively.



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Ongoing work

- Prior on ED_{50}
 - Leads to larger d_2^*/d_1^* ratio
 - More favorable for 2 active doses
- Prior dependence between efficacy & safety
- Optimal split of sample size
- Pooled analysis with closed testing

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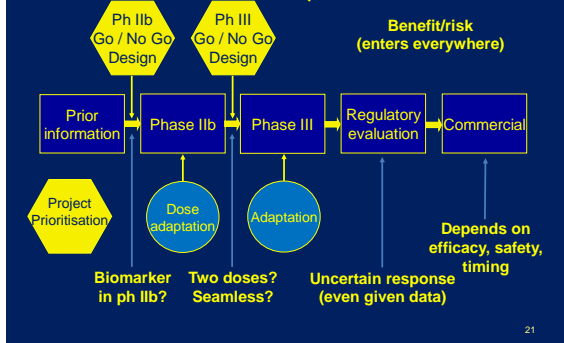
Discussion, doses in phase III

- Can define optimal dose(s)
 - Requires explicit assumptions and criteria (cf. model-based drug development)
- One active dose is clearly best ... under “naïve” assumptions and multiplicity corrections
- Move to more sophistication (and two doses might be better)
 - Prior for efficacy
 - Optimal multiplicity and sample size split
- Do we have to correct for multiplicity when higher dose is “unsafe”?

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Adaptive Programme work stream:

Model components



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General comments

- Multitude of highly relevant research problems
- Need more scientists involved
- ... and need to spread results in the industry

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